Neutral Currents: Experimental Results at High and Intermediate Energies

Fifth International WEIN Symposium Physics Beyond the Standard Model

M. Strovink
University of California, Berkeley
June 17, 1998

Update on high Q^2 events at

HERA

Is a corresponding high- E_T excess

seen in $\overline{p}p$ collisions?

Limits on first-generation

leptoquarks

Limits on anomalous $ZZ\gamma$ and $Z\gamma\gamma$

couplings

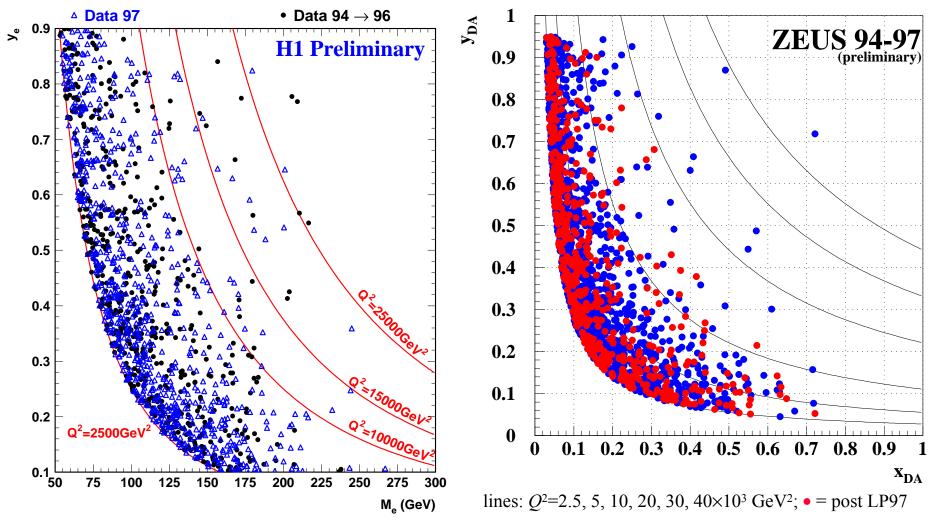
Limits on Z' mass and mixing in

extended gauge models

Limits on contact interactions

URL for this talk: http://www-d0.fnal.gov/~strovink/

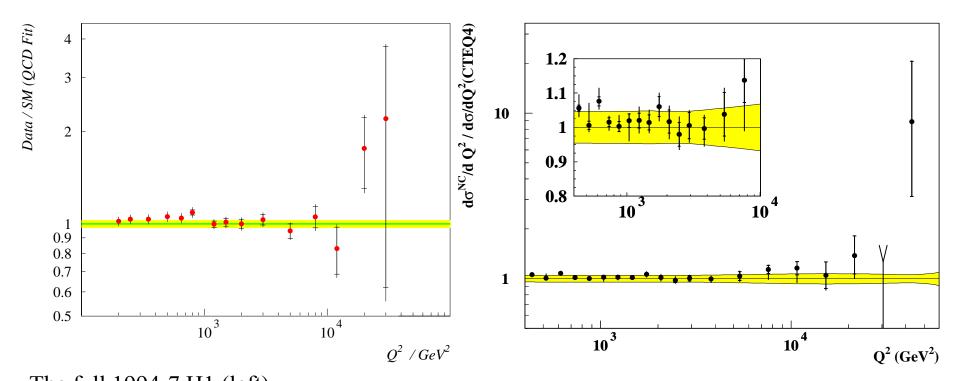
Update on high Q^2 events at HERA



In early 1997, H1 and ZEUS reported excesses of high Q^2 NC events with respect to SM expectations. The extra events appeared in two disjoint regions of $M_{ej} \propto \sqrt{x}$; the H1 excess was clustered near $M_{ej} = 200$ GeV. The fluctuation probabilities were of order 1%.

Data collected by H1 in 1997 (△), and by ZEUS in the last half of 1997 (•), did not confirm these excesses.

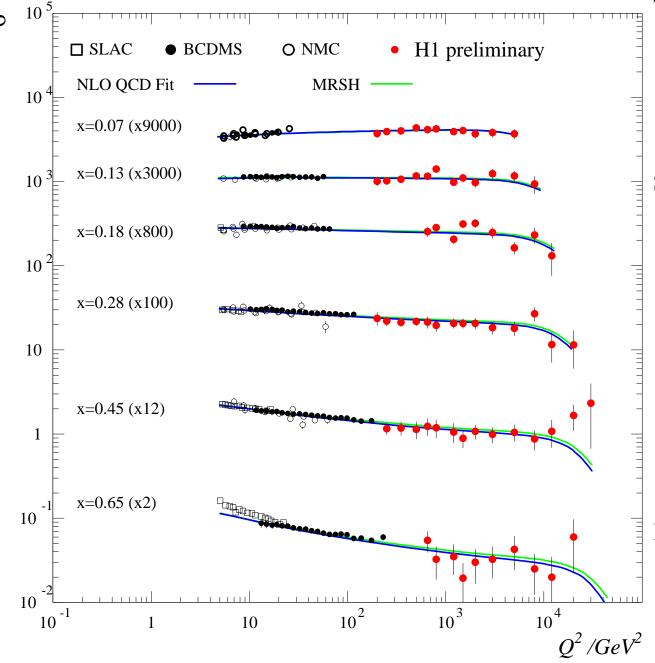
Update on high Q^2 events at HERA (cont'd)



The full 1994-7 H1 (left) and ZEUS (right) preliminary datasets, when compared to DIS expectations, show residual excesses at highest Q^2 , but the significances of these excesses are reduced compared to the 1994-6 data alone.

$Q^2(\min)$		H1		ZEUS						
(GeV ²⁾	expected seen		$P(\geq N_{obs})$	expected	seen	$P(\geq N_{obs})$				
5000	336	322	0.560	396±24	440					
10000	55	51	0.600	60±4	66					
15000	14.7±2.1	22	0.059	17±2	20					
20000	4.4±0.7	10	0.018							
25000	1.6±0.3	6	0.006							
35000				0.29 ± 0.02	2	~ 0.035				

Update on high Q^2 events at HERA (cont'd)



The high x HERA NC data match smoothly to structure functions determined by ep and µp scattering in fixed target experiments.

Shown is the current H1 determination of σ , [equal to the cross section differential in x and Q^2 , multiplied by kinematic factors so that $\sigma = F_2$ if F_L , and the parity violating term F_3 from Z^0 exchange, are ignored]. Seen are the expected γZ interference and high-x nonscaling. Including the full H1 dataset in an NLO QCD fit pulls σ below the MRSH extrapolation at

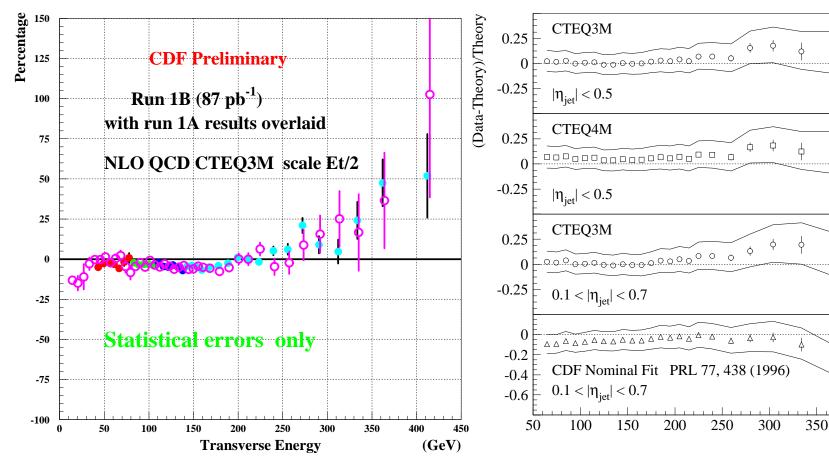
high Q^2 .

450

 E_{T} (GeV)

400

Is a corresponding high- E_T excess seen in $\bar{p}p$ collisions?



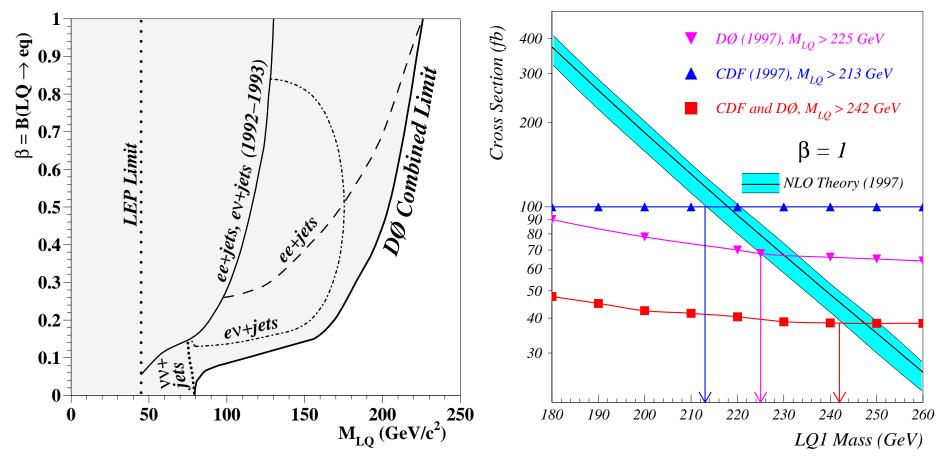
Above are CDF's (data-CTEQ3M)/CTEQ3M points, from Run 1A (published, o) and 1B (preliminary, •). Errors are statistical. CDF concludes that standard PDFs (like CTEQ3M) require modification.

They provide an analytic function passing smoothly through their points.

D0's Run 1B data are compared above to standard PDFs and also to CDF's function. The systematic error bands are parametrized by a covariance matrix.

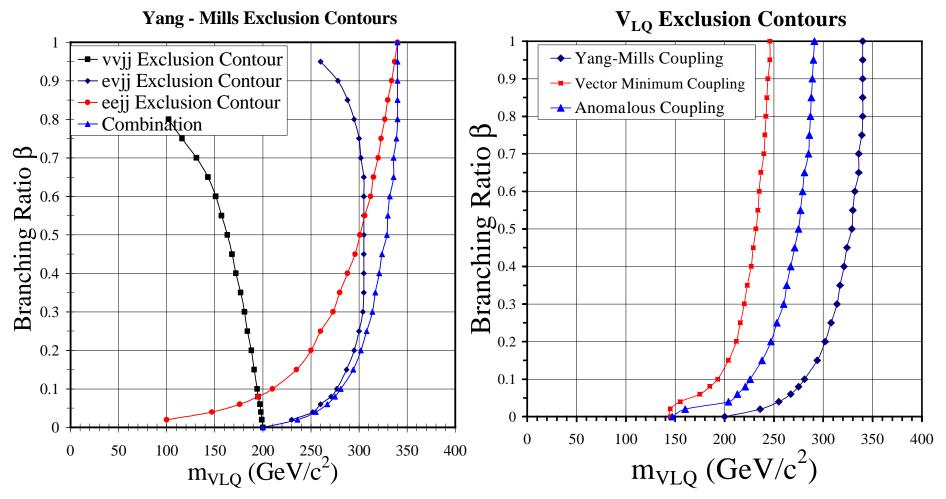
The standard PDFs give acceptable χ^2 values, but the χ^2 probability for CDF's function is of order 10^{-5} .

Limits on first-generation leptoquarks



If first-generation leptoquarks were to exist, the new interaction that would bind e to q would enhance eq scattering near the LQ₁ mass (~ 200 GeV, suggested by 1994-6 H1 data). At the Tevatron, LQs could be pair produced strongly, independent of the e-q coupling. Shown at left is D0's published scalar LQ₁ mass limit vs. $\beta = BR(LQ_1 \rightarrow eq)$. For $\beta = 1$, $M(LQ_1) > 225$ GeV. Additional points from CDF are at 213 (180) GeV for $\beta = 1$ (0.5). At right, CDF and D0 combine their (LQ₁ $\rightarrow eq$) search to limit $M(LQ_1) > 242$ GeV at $\beta = 1$.

Limits on first-generation leptoquarks (cont'd)

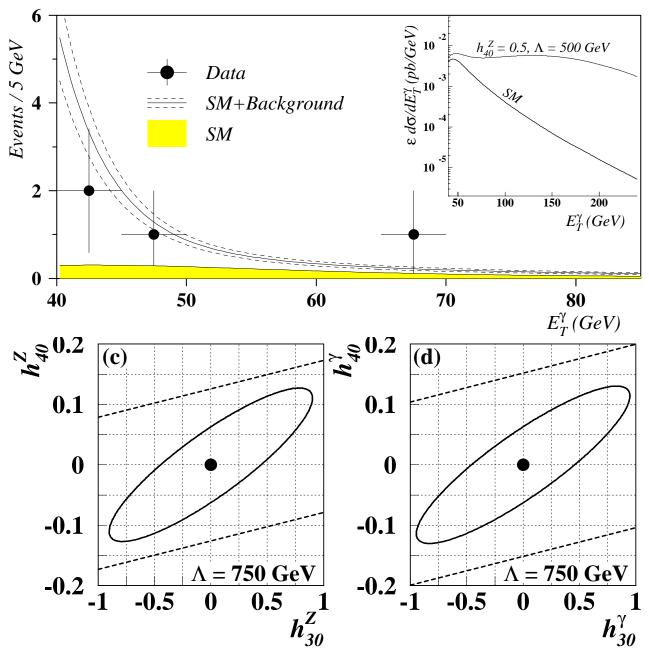


Recently D0 completed a similar search for vector leptoquark pair production. Again the combined limit contours vs. β are the result of separate analyses (left) in the *eejj*, *evjj*, and vv*jj* channels.

The D0 combined limit contours are presented (right) for 3 choices of vector coupling. The "minimum" coupling yields the smallest possible vector LQ_1 production rate.

Even for minimum coupling, the mass limit contour is more stringent than for the scalar case.

Limits on anomalous $ZZ\gamma$ and $Z\gamma\gamma$ couplings.



In the SM, both the $ZZ\gamma$ and $Z\gamma\gamma$ couplings vanish. CP-conserving anomalous $ZV\gamma$ couplings $h_{30}{}^V$ and $h_{40}{}^V$ correspond to the E1 and M2 transition moments of the $ZV\gamma$ vertex. To obey unitarity, they are multiplied by $(1 + \overline{s}/\Lambda^2)^{-n}$, where n is h's first subscript.

The main limit on these anomalous couplings comes from the non-observation by D0, above background and SM radiative effects, of $Z\gamma$ production in which $Z \rightarrow VV$, giving a γ + missing energy signature.

Shown are D0's combined limits on h_{30}^{V} and h_{40}^{V} .

New heavy gauge bosons are expected if the Standard Model is extended by additional gauge symmetries. These extensions are motivated *e.g.* by grand unified theories or by compactified string models.

An example is the decomposition

$$E_6 \to U(1)_{\psi} \times SO(10) \to U(1)_{\psi} \times U(1)_{\chi} \times SU(5) \to U(1)_{\theta(E6)} \times SM$$
.

The Z' boson originating from this new U(1) symmetry is labeled by the angle β_E by which $U(1)_{\gamma}$ and the $U(1)_{\psi}$ mix to form it. Often-studied cases are

$$\theta(E6) = 0 \pmod{\text{``\chi''}}$$

$$\theta(E6) = \pi/2 \pmod{\text{``\psi''}}$$

$$\theta(E6) = \arctan(-\sqrt{5/3}) \pmod{\text{``\eta''}}$$

$$\theta(E6) = \arctan(\sqrt{15}) \pmod{\text{``v''}}.$$

The Z'-fermion couplings for these models are prescribed within a range, with the upper bound usually taken.

As another example, the left-right model

$$SO(10) \rightarrow U(1)_{B-L} \times SU(2)_R \times SU(2)_L \times SU(3)_C \text{ (model "LR")}$$

has a Z' with fermion couplings fixed by manifest L-R symmetry. Another ("ALR") left-right prescription originates from E_6 GUTs. It has a nonstandard W_R and different Z'-fermion couplings.

Finally, experimenters often refer to a toy "SSM" model in which the Z' couplings are identical to those of the Z.

The above described models fail to span a reasonable set of possibilities:

"Kinetic mixing" can shift the couplings. Its term in the Lagrangian has a factor $\sin \chi$, which these models take to be zero.

String theorists describe a broader class of models with additional U(1) factors.

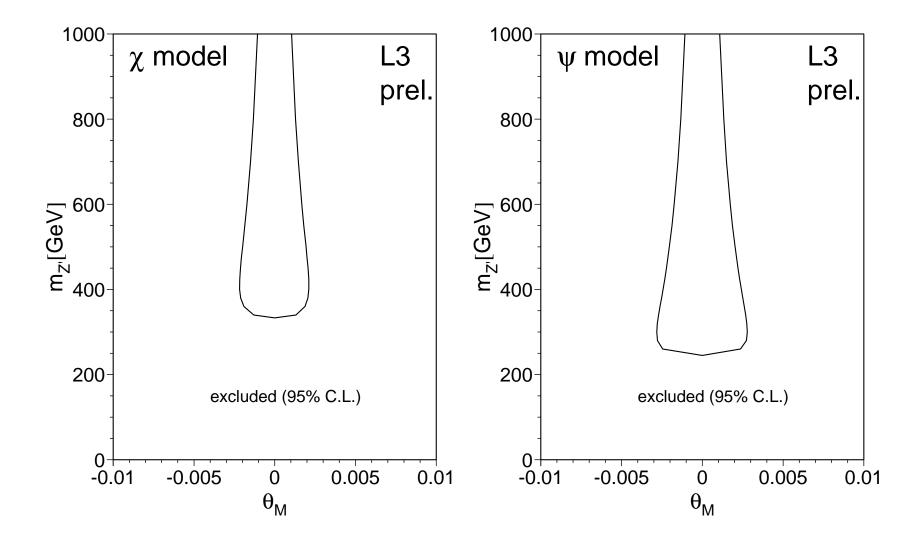
At the (physical) Z_1 pole, e^+e^- experiments are sensitive mainly to the presence of a nonzero mixing angle θ_M between the (SM) Z and Z' yielding the Z_1 . [Making specific assumptions involving the Z-Z' mass matrix, limits on θ_M can be re-expressed as limits on M(Z') when M(Z') >> M(Z).]

The chief experimental constraints at the Z_1 pole are the hadron and lepton-pair cross sections and the lepton forward-backward and left-right asymmetries.

When cross sections and forward-backward asymmetries well above the Z_1 pole from LEP 2 are included, sensitivity independently to both θ_M and M(Z') can be achieved.

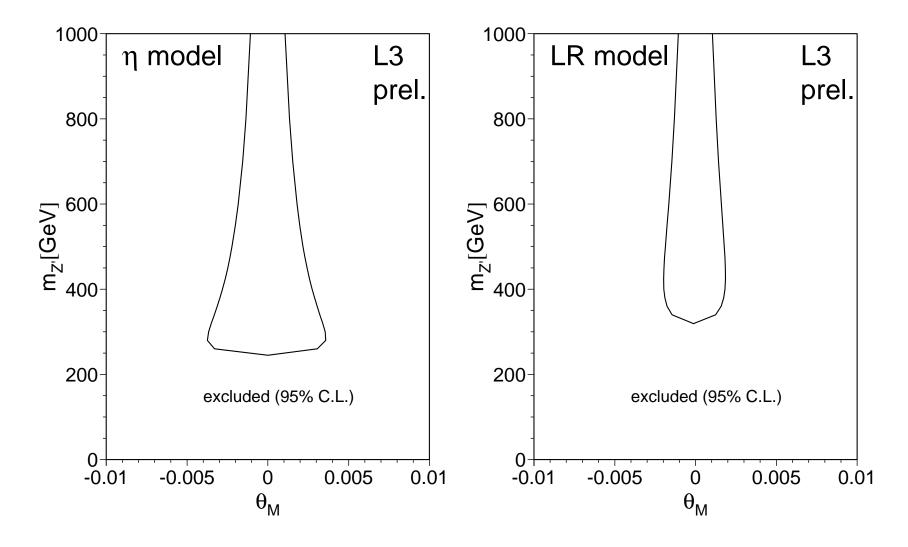
L3 make a preliminary fit to their LEP1 and LEP2 cross sections and lepton asymmetries, using ZEFIT, an extension to ZFITTER.

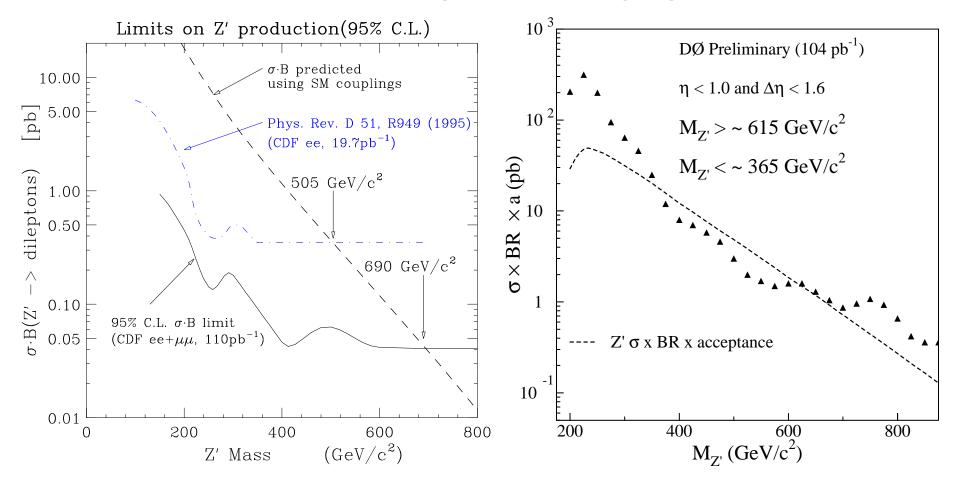
95% CL preliminary limits in the $\theta_{\rm M} - M(Z')$ plane are obtained for the χ and ψ models...



...and for the η and LR models.

The preliminary L3 limits on $\theta_{\rm M}$ are competitive with recent fits to world data. However, except for the toy "SSM" model, for which they obtain M(Z') > 805 GeV, L3 limits on M(Z') are weaker than those available from Tevatron searches.

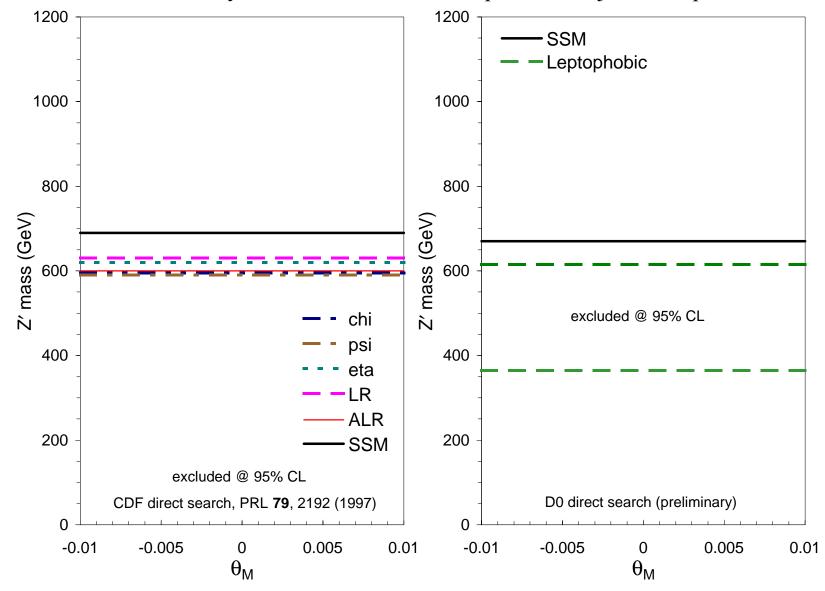




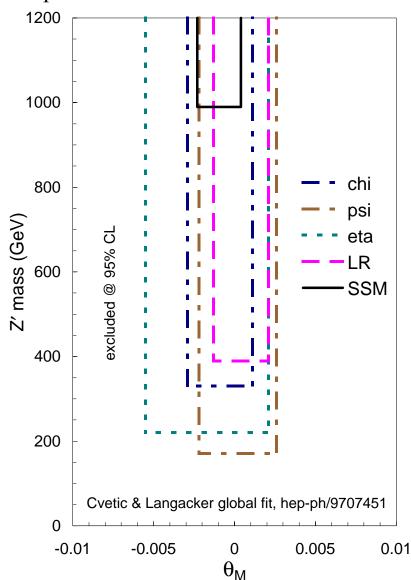
At the Tevatron, direct searches for $Z' \to e^+e^-$ and $\mu^+\mu^-$ yield limits on M(Z') that do not vary widely among the various models.

Displayed are the $\sigma \times B$ limits from CDF as a function of dilepton mass (left), and from D0 as a function of dijet mass (right). The latter constrains a possible "leptophobic" Z' with SM couplings.

CDF's M(Z') limits (left) for a variety of models are published; the areas beneath the lines are excluded. D0's Z' searches (right) are preliminary. The region between the "leptophobic" dashed lines is excluded by nonobservation of a bump in D0's dijet mass spectrum.

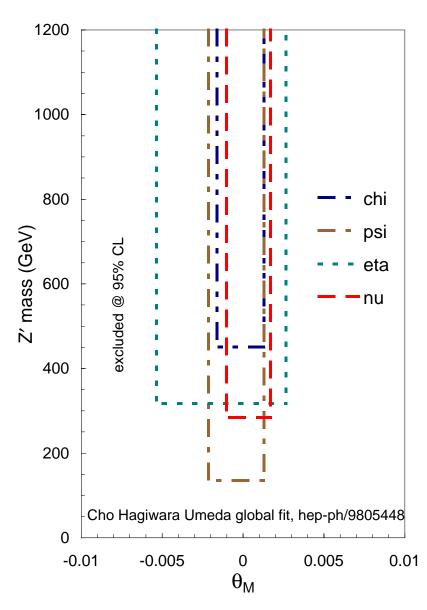


Except for the toy "SSM" case, the just displayed Tevatron mass limits are stronger than are obtained from recent fits to all indirect constraints, including low-energy weak neutral current processes.



Plotted on the same scale is the result of Cvetic and Langacker's 1997 fit to all available data, excluding direct Tevatron searches and LEP 2 data, but including lowenergy constraints that are outside the scope of this review.

The M(Z') limits are for the case in which no assumption is made on the U(1)' charges. In the χ and LR models, respectively, if definite U(1)' charges are assumed, much higher minimum Z' masses of 1160 and 1680 GeV are obtained.



Also plotted are the results of the more general May 1998 fit of Cho, Hagiwara, and Umeda to data similar to those used by Cvetic and Langacker.

To put this plot on the common scale, Cho *et al*.'s mixing angle limits were divided by $(\sqrt{5/3} \times \sin \theta_w)$.

When definite U(1)' charges are assumed and other parameters are varied, minimum Z' masses are obtained for all models. Compared to those in the plot, most of these mass limits are far stronger, of order 1-2 TeV. These are still below the LHC discovery limits (~3 TeV).

		$pull = \frac{\langle data \rangle - best \ fit}{\langle error \rangle}$									
	SM	χ	ψ	η	ν	η^*					
Z-pole											
$m_Z ({ m GeV})$	91.1867 ± 0.0020										
$\Gamma_Z \; ({\rm GeV})$	2.4948 ± 0.0025	-0.8	-0.8	-0.6	-0.7	-0.7	-0.6				
$\sigma_h^0(\mathrm{nb})$	41.486 ± 0.053	0.3	0.6	0.6	0.3	0.6	0.2				
R_{ℓ}	20.775 ± 0.027	0.9	0.8	0.7	0.9	0.7	1.1				
$A_{FB}^{0,\ell}$	0.0171 ± 0.0010	0.8	0.8	0.7	0.7	0.8	0.7				
$A_{ au}$	0.1411 ± 0.0064	-1.0	-1.0	-1.0	-1.0	-1.0	-1.0				
A_e	0.1399 ± 0.0073	-1.1	-1.0	-1.1	-1.1	-1.1	-1.1				
R_b	0.2170 ± 0.0009	1.4	1.4	1.5	1.4	1.4	0.6				
R_c	0.1734 ± 0.0048	0.3	0.3	0.2	0.3	0.3	0.5				
$A_{FB}^{0,b}$	0.0984 ± 0.0024	-2.1	-2.0	-2.1	-2.1	-2.1	-2.2				
$A_{FB}^{0,c}$	0.0741 ± 0.0048	0.0	0.1	0.0	0.0	0.0	-0.1				
A_{LR}^0	0.1547 ± 0.0032	2.2	2.3	2.2	2.2	2.2	2.2				
A_b	0.900 ± 0.050	-0.7	-0.7	-0.7	-0.7	-0.7	-0.7				
A_c	0.650 ± 0.058	-0.3	-0.3	-0.3	-0.3	-0.3	-0.4				
W-mass	measurement										
$m_W \; (\mathrm{GeV})$	$m_W \; (\text{GeV}) = 80.43 \pm 0.084$		0.5	0.5	0.5	0.5	0.5				
$\chi^2_{\rm min}$ and d.o.f.											
$\chi^2_{\rm min}$		16.9	16.7	16.7	16.9	16.6	16.1				
d.o.f.		14	12	12	12	12	12				
parameters	constraints		best fit values								
$m_t ({ m GeV})$	175.6 ± 5.5	172.4	173.1	172.8	172.3	172.9	172.9				
$\alpha_s(m_{Z_1})$	0.118 ± 0.003	0.1185	0.1179	0.1180	0.1185	0.1179	0.1192				
$1/\bar{\alpha}(m_{Z_1}^2)$	128.75 ± 0.09	128.75	128.76	128.74	128.74	128.75	128.74				
T_{new}			0	0	0	0	0				
$\overline{\xi}$		<u> </u>	0.0002	0.0002	-0.0001	0.0002	0.0027				

				/.	data) – best fit						
		$pun = {\langle error \rangle}$									
		SM	χ	ψ	η	ν	η^*				
LENC	experiments										
$A_{\rm SLAC}$	0.80 ± 0.058	1.0	1.0	1.0	1.0	1.0	0.9				
A_{CERN}	-1.57 ± 0.38	-0.4	-0.4	-0.4	-0.4	-0.4	-0.4				
A_{Bates}	-0.137 ± 0.033	0.5	0.4	0.4	0.4	0.4	0.5				
$A_{ m Mainz}$	-0.94 ± 0.19	-0.3	-0.3	-0.3	-0.4	-0.3	-0.3				
$Q_W(^{133}_{55}C_s)$	-72.08 ± 0.92	1.0	-0.2	1.0	0.2	-0.1	1.3				
K_{FH}	0.3247 ± 0.0040	-1.5	-1.4	-1.5	-1.5	-1.4	-1.4				
K_{CCFR}	0.5820 ± 0.0049	-0.5	-0.4	-0.3	-0.4	-0.4	-0.5				
$g_{LL}^{ u_{\mu}e}$	-0.269 ± 0.011	0.4	0.1	0.1	0.5	0.1	0.4				
$g_{LL}^{ u_{\mu e}} \ g_{LR}^{ u_{\mu e}}$	0.234 ± 0.011	0.1	0.0	0.4	0.2	0.2	0.1				
$\chi^2_{\rm min}$ and d.o.f.											
χ^2_{\min}		22.0	20.2	21.5	21.2	20.4	21.7				
d.o.f.		23	20	20	20	20	21				
parameters	parameters constraints		best fit values								
$m_t \; ({ m GeV})$	175.6 ± 5.5	171.6	172.3	172.1	171.5	172.3	172.0				
$\alpha_s(m_{Z_1})$	0.118 ± 0.003	0.1185	0.1181	0.1181	0.1185	0.1181	0.1189				
$1/\bar{\alpha}(m_{Z_1})$	128.75 ± 0.09	128.75	128.75	128.75	128.73	128.75	128.75				
$T_{ m new}$		l —	0.0	0.0	0.0	0.0	0.0				
$\bar{\xi}$			0.0001	0.0002	-0.0003	0.0001	0.0016				
$g_E^2/c_\chi^2 m_{Z_E}^2$			0.279	1.771	-0.646	0.668					

For completeness, the inputs and other details of Cho *et al.*'s fit are shown. The first fit uses the results of **Z**-pole experiments together with measurements of the W and top masses, and of α_s and α .

It constrains mainly the *Z-Z'*mixing angle and the *T* parameter.

The second fit adds low-energy neutral current measurements. Sensitivity to the Z' mass through a contact term is gained, along with modest additional constraints on the other parameters.

Limits on contact interactions

At $s \ll M^2(Z')$, Z' exchange would represent one form of effective four-fermion contact interaction. The contact interaction scale parametrizes searches for quark and lepton compositeness.

The vector contact Lagrangian has terms of the form

$$\eta_{HH'}(\overline{f_H}\gamma_{\mu}f_H)(\overline{f_H'},\gamma^{\mu}f_{H'})$$

where fff'f' are the four fermions involved, and H and H' run over chiralities L, R.

[Tensor *eeff* contact interactions with $\Lambda < 130$ TeV and scalar *eeee* contact interactions with $\Lambda < 45$ TeV are ruled out by p_e limits, and tensor $qq\mu\mu$ or $\mu\mu\tau\tau$ contact interactions with $\Lambda < 16$ TeV are ruled out by (g_u-2) . So high energy experiments focus mainly on vector terms.]

We consider vector contact interactions involving fermions qqqq, llqq, eeqq, vvqq, $vve\mu$, and eell, where q(l) assigns the same contact interaction to all quarks (charged leptons).

For each fermion set, the limits are described further by the assumed relative magnitudes of the coefficients $(\eta_{LL}, \eta_{LR}, \eta_{RL}, \eta_{RR})$. We consider the cases LL (1,0,0,0), LL+RR (1,0,0,1), LR (0,1,0,0), LR+RL (0,1,1,0), LL-LR (1,-1,0,0), VV (1,1,1,1), and AA (1,-1,-1,1). (Typically the limits for RR (RL) [RL-RR] are similar to those for LL (LR) [LL-LR].)

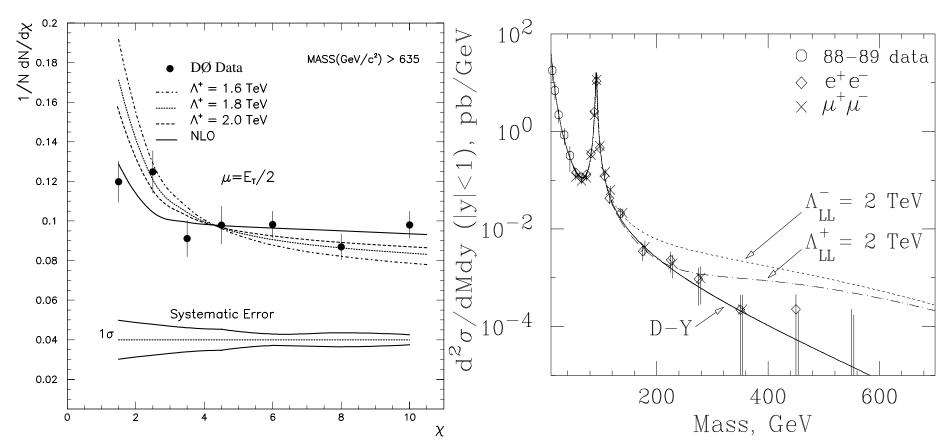
Atomic parity violation places severe constraints [$\Lambda > O(10 \text{ TeV})$] on Lagrangians for which the sum $\eta_{LL} + \eta_{LR} - \eta_{RL} - \eta_{RR}$ does not vanish. So we include the cases LL and LR only for comparing experimental sensitivities.

95% single-sided confidence lower limits Λ + and Λ - are set on the energy scale for each case, corresponding to whether the first nonvanishing η is positive or negative.

Limits on contact interactions (cont'd)

	chirality		LL **		LL+RR		LR ***		LR+RL		LL-LR ***		VV		AA	
9:	5% scale (TeV)	Λ+	Λ-	Λ+	Λ-	Λ+	1	Λ +	Λ-		Λ-	Λ+	Λ-	Λ+	Λ-	
qqqq	D0	2.1	H													
-	CDF	1.8	1.6													
llqq	CDF	3.1	4.3			3.3	3.9					5.0	6.3	4.5	5.6	
eeqq	D0*	3.3	4.2			3.4	3.6					4.9	6.1		5.5	
	CDF	2.5	3.7			2.8	3.3					3.5	5.2	3.8	4.8	
	OPAL 183*	4.4	2.8	4.4	3.8	3.3	3.6	3.1	5.5			4.1	5.7	6.3	3.8	
	L3 172	3.0	2.1	3.2	2.8	2.4	2.6	2.4	3.7			3.2	3.9	4.3	2.9	
	ALEPH 183 ^A	3.9	2.7	4.1	3.6	2.1	3.4	3.0	4.9			4.0	5.2	5.6	3.7	
	ZEUS*			2.8	1.5			4.5	4.1	1.8	3.0	4.9	4.6	2.0	4.0	
	Gonzalez et al	3.3	3.7	3.0	3.4	3.4	3.0	3.0	2.7			1.1	1.2	4.3	4.8	
	Barger et al							3.5	5.3	3.5	3.8	4.1	6.9	4.4	4.7	
vv qq	CCFR	4.7	5.1			4.2	4.4					8.0	8.3	3.7	5.9	
νν e μ	$ve \mu$ TRIUMF E185					3.	1 •	3.	1 •	3.	1 •					
eell	OPAL 183 ^a	5.2	5.3	7.2	7.4	5.6	5.2	7.8	7.3			9.6	9.3	7.7	8.3	
	L3 172	4.0	3.1	5.5	4.4	3.4	4.0	4.8	4.3			7.1	5.8	4.9	4.1	
	ALEPH 183*	6.1	5.4	8.4	7.5	6.5	5.2	9.4	7.4			11.8	9.4	8.2	9.0	
▼ RR tyj	pically similar. $\overset{\square}{\checkmark}\overset{\square}{R}$	L typi	cally si	milar. 🔨	RL-	RR typi	cally si	milar.								
*Severe	atomic parity viola	tion co	onstrain	ts exist.	*Prelin	ninary.	\bullet If v_R	> 20 Me	v/c^2 o	r nonexi	stent.					
	ez-Garcia, Gusso, ar											e-loop	calcula	tion.		
Barger,	Cheung, Hagiwara	and Ze	eppenfe	ld (hep-	ph/970′	7412) fi	mid '9	97 world	l data a	at low, m	edium, a	and hig	h energ	ies.		

Limits on contact interactions (cont'd)



The best limits on quark compositeness (qqqq) result from D0's measurement of the dijet angular distribution.

Rutherford scattering is flat in the variable χ ($\chi = 1$ when $\theta^* = 90^\circ$).

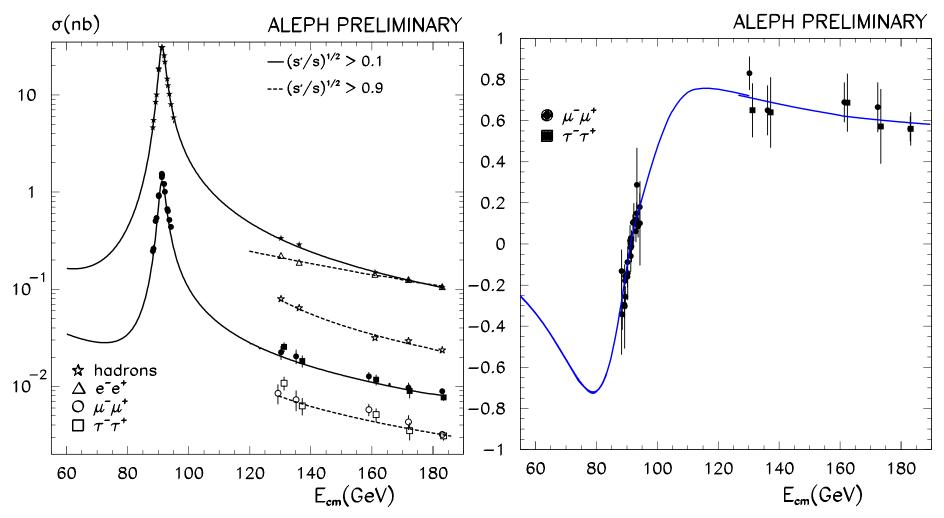
Contact interactions would be more central than *t*-channel gluon exchange. An enhancement near $\chi = 1$ would result.

Important constraints on quark-lepton compositeness (*llqq*) result from CDF's study of Drell-Yan *ee* and μμ production.

For the limits quoted here, contact-interaction couplings to *u* and *d* quarks are assumed to be the same.

From these same data, a limit $\Lambda > 3.3$ GeV on the scale of *llqq* scalar couplings is obtained.

Limits on contact interactions (cont'd)



At tree level at the Z_1 pole, (real) contact interactions do not interfere with (imaginary) electroweak processes, so experiments are insensitive to them. At one-loop level (Gonzalez-Garcia *et al.*), contact interactions do affect the leptonic Z width. Above the Z_1 pole, especially including 183 GeV data, fermion pair cross sections (left) and angular distributions (A_{FB} , right) strongly limit *eeqq* and *eell* contact interaction scales.

Conclusions

The most recent (1997) data do not confirm the HERA high- Q^2 excesses.

So far, evidence is **not** found for:

First-generation leptoquarks below ~220 GeV, scalar or vector, with $\beta=1$ or 0.5, independent of eq coupling.

Anomalous $ZZ\gamma$ or $Z\gamma\gamma$ couplings.

Z' masses below ~600 GeV, or Z-Z' mixing above ~2 mrad.

qqqq, llqq, eeqq, vvqq, vveμ, or eell contact interactions, with LL, LL+RR, LR, LR+RL, LL-LR, VV, or AA couplings, at scales below ~2-10 TeV.

Many other possible new physics signals not addressed by this short review.

Experiments below as well as on the energy frontier continue to raise the thresholds for possible discovery of new high-mass phenomena.